Cheatography

data mining Cheat Sheet by mvyjayanti via cheatography.com/72036/cs/18263/

Naive Bayes and LogReg		ANNs (cont)			SVM		Errors	
P(A C) = (P(C A)P(A))/P(C)	predicts T/F, "S" shaped, from 0-1	\hat{y} =sign(w ₁ x ₁ +w ₂ x ₂ +w t=sign(w • x) λ =learning rate xij=val of jth attribute of		for weight update: wj ^(k+1) = weight	frontier that best segregates 2 classes by margins	polynomial kernel: k(x,y)= (x*y+1) ^d	P(+) = 1/(1+ e ⁻ (w0+w1x1))	error= misclassificatio n
posterior = (likelihood x prior)/normalizing	log(odds) = log(p/(1-	training example xi wj ^(k+1) =wj ^{(k)+λ(y1-ŷi} k^)xij		param associated w/ i th input link after	RBF kernel: $k(x,y) = e^{-\gamma(x-y ^2)}$	tune by k-fold cross-val (k=5)	For new cases, predict:	1 if (w0+w1x1+)- >=1, 0 else
constant pros: easy/fast, assuming	p)) z = estimated			k th iteration	adv: high dimension spaces, #of dimensions > #of	diff kernel functions for diff decisions	if w0 inc as x inc, p(+) inc	error = (FP+FN)/All
independence, categorical	intercept/st d error			error = y - ŷ	samples k1+k2 = even more	dis: if	sensitivity = TP/(TP+FN)	specificity = TN/(TN+FP)
cons: if not in set - y = > 0% can use log(F)B1 +		if error = 2, inc w of +ves		if error = - 2, in w of -	complex	#features > #samples, CV	+ve predicted	-ve predicted val =
Laplace estimation (add 1), bad estimator, independent predictor	log(T/F)B2	Error E = ΣEk k∈outputs		Ves Ek = $1/2(tk ak)^2$	$\label{eq:product} \begin{array}{l} \min(w ^2) \mbox{ for linear} \\ \xi : \mbox{ how far } pt_i \mbox{ is from} \end{array}$	$\begin{split} & wx_i+b>=1-\xi \text{ if } \\ & y_i=1 \\ & wx_i+b>=-1+\xi \text{ if } \\ & y_i=-1 \\ & max((\Sigma\lambda_i)-1/2(\lambda_i\lambda_jy_iy_jx_ix_j)) \end{split}$	val = TP/(TP+FP)	TN/(TN+FN)
		output oi = 1/(1+e ^{-net i}) net		1/2(tk-ok) ² net i =	correct side		true error: error on true underlying	apparent error: error on example used to train model
assumption -> unlikely				Σwij*oi	$min(w {+} C(\Sigma i {=} 1 {\rightarrow} n \xi_i)$			
LR: p = e ^{log(odds))} /(1+e ^{lo-}	likelihood	Inductive Bias, No Free Lunch IB: anything part of language		dist btw parallel planes = z/ w	w = sqrt(w1+w2)	distribution (unmeasura	(underestimate s TE)	
e ^{log(odds))} /(1+e ^{lo-} = mul. all g(odds)) T x all (1- F) log(L) =sum i to n(log(Tn) +		influencing accessible, hypothesis choice method of other than training choosing set		generalization error<= p(bar)(1-s ²)/s ²	p(bar) = avg correlation, s=strength	n: ability to	Occam's Razor: should not be	
sum(log(Fn)) R ² =(SS(mean) - SS(fit))/SS(mean)		NFL: for any 2 assuming algorithms A&B, uniform there exists a $P(x,y) \rightarrow \# of$				unseen cases	multiplied beyond necessity	
ANNs	heeleen	dataset for which A outperforms B	data whic	sets for h A>B = #			Overfitting: memorizing training set	test error: error on ex. held out of training
neuron = things that hold number from 0 to 1	boolean: T=1, F=0		B>A				KNN	
$\hat{y} = 1$ if w1x1+w2x2+wnxn- t(bias factor) >0	, -1 if <0						select k: sqrt(if n is even, choose odd	n), Ri = {x:d(x,xi)< d(x,x2), i!=j}
							euclidean dist =sqrt((x-x1) ² +	ance



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Model Eval		Model Eval (cont)		ROC and Lift Curves		Ensembles (cont)	
Holdout	train on 2/3, test on 1/3, one is validation set (high variance on estimate)	-	2-tailed t. t alpha/2. ((meanVar)x(sqrt(n))) / S v each fold to contain ositives and negatives	ROC: sensitivity vs. (1-specificity), higher val the better,	sens: TP rate, 1-spec: FP rate	incorrect pts weighed by # that is inversely proportional to training error	w inc if misclassifie d, dec else classifiers combined
Leave-one- out	train on N-1, test on 1 (good estimate)	Decision Trees		flatter line the worse Lift curves: find	find % of each		by weighting- accuracy of
K-folds Cross Val	divide set into k parts, LOO each, repeat N times, compute mean and std dev for	asks a question: classifies based on T/F	root, internal(arrows to and from), external(arrows to) (leaves)	% of each tota response from sum of all y = +ve % / % total	+ve responses from total +ve responses of x = % of total	Arcing(Adaptive resample&combine): like boosting but change w by update method	training set eg. Arc x4: w(x) = $1+e(x)^4$ e(x)=times x has been misclassifie d so far
Bootstrapping	each randomly draw N	break into categories	T/F and Y/N for each	k-means clust	tering		
	points (can repeat), train, test on S - S1	P(Y T), P(N T), P(Y F),	GI ² = 1-(Y F/(Y F + N F)) ² +(N F/(Y F + N F)) ²	user choose k, initialize k centers loop: assign pts	·	depends on: strength(perf of individuals), diversity (uncorrelated errors)	bagging error: from reducing var boosting can reduce bias&var bagging is >
Compare 2 methods: H0: meanLR = meanNB, H1:	t=(meanNB- meanLR)/S (S:pooled variance), reject	P(N F) Gl ¹ =	1-(Y T/(Y T + N T)) ² +(N T/(Y T + N T)) ²	nearest those centers, move centroid of ass pts	random, optimizing igned (total distance) ²		
meanLR <mea nNB</mea 	mea H0 if t>t alpha $Glall=(T/(T+F) \times Gl^{1})+(F/(T+F) \times Gl^{2})$		returns local solution			base classifier	
meanLR!=me alpha/2. H(S)=P(y)lo H(S) anNB ((meanVar)x(sqrt(n))) / S H(S)=P(y)lo H(S)		find H(S ^{true}) and H(S ^{false}), H(S)- w1H(S ^{true})- w2H(S ^{false})	EnsemblesBagging: bootstrap aggregatingBoosting: changing weights on pts and building series of		boosting better or overfit noisy	Random forests: for tree,choose pts,for node, features	
		w1 = T instances/all w1 = T	w2 = F instances/all w2 = F		classifiers, start w=1		subset w/ best IG,split, end,recurse,
		wi = i instances/all	wz = F instances/all				end

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largest info gain, least GI

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feature selection				Bias and Var (
removing irrelevant info for a better, faster model	drop m encode	nissing values o e them	r	error: MSE = $(\hat{y}-\mu)^2$ var: $E(\hat{y}E(\hat{y}))^2$ bias: $(E(\hat{y}-\mu)^2)^2$	^b gi' pa	
drop: if all values	if highl one of	y correlated, them		µ) ² +noise KNN,ANN,E	DT:	
are the same				var: how mucl		
if low correlatio n with	correlatio stepwise selection:				lata erro	
target trees with least	then keep going until validation error stops dropping			EM Expecta	atic	
info gain		0		hard clusterin		
beam or heuristic search	for computation interpretability genetic algorithms			each pt only belongs to or cluster		
1) filters: all above + other correlatio n	2) wrappers: build a classifier with a subset+eval on validation data. but 2 ^d possible subsets			EM: automaticall discover all params for F "sources"→	<	
Bias and \		we may not kn source				
PCA : dimensiona reduction	ality	linear combo of OG features	5	if we know µ can find likeliness	ı,ơ	
$\begin{array}{ll} \text{max. variance:} & \mu = E(y x) = T(uk) \\ \text{smallest \# until} & \hat{y} = f(x,\Theta) \\ 90\% \text{ var} \\ \text{explained} \end{array}$			()	$\frac{1/sqrt(2\pi\sigma^2)}{p(-(x_i - \mu_\beta)^2/2\sigma_\beta^2)}$ $a_i=1-b_i=P(a_i$		

Bias and Var (cor	EM E	
error: ^best MSE = $(\hat{y}$ - given μ) ² parar var: E $(\hat{y}E(\hat{y}))^2$ bias: $(E(\hat{y}$ - μ) ² +noise	clust $\sigma_{\beta}^2 = (\mu_{\beta})^2 + (b_1 + \mu_{\beta})^2 +$	
KNN,ANN,DT: low	bias, high var	does
var: how much doe var across dataset systematic error pr to fit	came Iterat	
	P(a)	
EM Expectation M clust.	"Wha	
hard clustering: each pt only belongs to one cluster	soft clustering: can belong to more than one cluster by %	each
EM: automatically discover all params for k "sources" \rightarrow but we may not know source if we know μ , σ , can find likeliness	mixture models: probabilistic way of soft clustering each cluster Gaussian or multinominal	
$1/sqrt(2\pi\sigma^2)^*ex$ p(-(x _i - $\mu_\beta)^2/2\sigma_\beta^2)$ a _i =1-b _i =P(a _i)	Bayesian posterior: $b_i =$ $P(b x_i) =$ $(P(x_i b)P(b)) /$ $(P(x_i b)P(b) +$ $P(x_i a)P(a))$	

EM Expectation M clust. (cont)	laximization			
$\sigma_{\beta}^2 = (b_1(x_{1-} \mu_{\beta})^2 +)$ /(b_1+b_2+)	μ _β = (b1x1+b2x2+) / (b1+b2+)			
em: places randomly,for each pt P(b x _i): does it look like it came from b	Working to adjust (μ_a , σ_a^2) and (μ_β , σ_β^2) to fit points assigned			
lterate until convergence P(a) = 1- P(b)	Could also estimate priors: P(b) = (b1+b2+)/n			
"What proportion of the data is each distribution describing"				

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