| Gas Laws |  |
| :---: | :---: |
| Boyle's Law | $\begin{aligned} & \text { Pinitial_vinitial_Pf- } \\ & \text { inalv(final } \end{aligned}$ |
| Charles's Law | $V^{i} \div T^{i}=V^{\dagger} \div T^{\text {f }}$ |
| Combined Gas Law | $P^{i} V^{i} \div T^{i}=P^{f} V^{f} \div T^{f}$ |
| Avogadro's Law | $V^{i} \div n^{i}=V^{f} \div n^{f}$ |
| Ideal Gas Law | $\mathrm{PV}=\mathrm{nR}$ T |
| Dalton's Law of Partial Pressure | $\begin{aligned} & P^{\text {total }}=P^{1}+P^{2}- \\ & +P^{3} \ldots \end{aligned}$ |

## Dalton's Law of Partial Pressure

| Partial <br> Pressure | Pgas (atm)=(total pressure <br> x moles $\left.{ }^{\mathrm{gas}}\right) \div$ total moles |
| :---: | :---: |
| PP when volumes are different | $\begin{aligned} & \mathrm{P}^{\text {total }}=\mathrm{P}^{1}\left(\operatorname{atm} \times \mathrm{V}^{1} \div \mathrm{V}^{\text {to- }}\right. \\ & \text { tal })+\mathrm{P}^{2}\left(\mathrm{atmxV}^{2} \div \mathrm{V}^{\text {to }}\right. \\ & \text { tal) } . . . \end{aligned}$ |
| Mole fraction | moles of gas $\div$ total moles |
| Wet Gas | Pwet gas $=$ Ptotal_ ${ }^{\text {P }}$ H2O |
|  | then use $P V=n R T$ to solve for variables |

## Real Gases

| Van der | $\mathrm{P}=[(\mathrm{nRT}) \div(\mathrm{V}-\mathrm{nb})]-\left[\left(\mathrm{a}^{*} n^{2}\right)-\right.$ |
| :--- | :--- |
| waal's | $\left.\div\left(\mathrm{V}^{2}\right)\right]$ |
| equation |  |

When a gas with a larger "a" value
comparing will require the largest real gases correction to account for intermolecular forces
a gas with a smaller "b" value will behave most ideally at high pressures
If Vdw 's pressure is lower than the ideal pressure, attractive forces dominate

If Vdw's pressure is higher than ideal pressure, repulsive forces dominate

## By mjb

cheatography.com/mjb/

## Real Gases (cont)

| Real | attractive forces between |
| :--- | :--- |
| Gas | molecules cause a decrease in |
| Behavior | pressure |
|  | As molecules increase in size |
|  | deviations from ideal behavior |
|  | become apparent at relatively |
|  | HIGH temps |
|  | In general, most gases behave |
|  | most ideally at HIGH temps and |
|  | LOW pressures |


| Pressure Units and Conversions |  |
| :--- | :--- |
| $1 \mathrm{~atm}=\quad$ | $1 \mathrm{~atm}(\mathrm{R}=.08206)$ |
|  | $760 \mathrm{mmHg}(\mathrm{R}=62.364)$ |
|  | 760 torr |
|  | $1.013 \times 10^{5} \mathrm{~Pa}$ |
|  | 101.3 kPa |
|  | 29.92 inches Hg |
|  | 14.69 psi |
|  | 1.01325 bar |


| Stoichiometry and Gases |  |
| :--- | :--- |
| Mole ratio $=$ Volume ratio | $2 A+3 B=A B$ |
|  | $2 A: 3 B$ |
|  | $2 \mathrm{~mL} \mathrm{~A}: 3 \mathrm{~mL} \mathrm{~B}$ |


| Kinetic Molecular Theory |  |
| :---: | :---: |
| Temper ature | If temperature is increased, Pressure and KE increase by a factor of $T^{f} \div T^{i}$ and rms increases by a factor of $\sqrt{ } \mathrm{T}^{\mathrm{f}} \div \mathrm{T}^{\mathrm{i}}$ |
| Volume | If volume is increased, Pressure increases by a factor of $\mathrm{V}^{\mathrm{i}} \div \mathrm{V}^{f}$ while KE and rms increase by a factor of 1 (because they are not affected)) |
| Moles | If moles are increased, pressure increases by a factor of $n^{\dagger} \div n^{i}$, while KE and rms increase by a factor of 1 (no change) |

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Using Ideal Gas Law to Calculate Gas Properties

| Ideal <br> Gas <br> Law | $\mathrm{PV}=\mathrm{nRT}$ |
| :--- | :--- |
| STP | 0 degrees celcius, 273 degrees <br> Kelvin, $1 \mathrm{~atm}, 22.4 \mathrm{~L} / \mathrm{mol}$ |
| Density | $\mathrm{d}=\mathrm{MP} \div \mathrm{RT}$ where M is molar <br> mass |
| Volume | When not given volume, but told <br> to assume ideal gas behavior, <br> use $\mathrm{V}=1 \mathrm{~L}$ |


| Diffusion and Effusion |  |
| :---: | :---: |
| $\mathrm{G} 1=\mathrm{gas} 1$ | G2=gas 2 |
| Average <br> Kinetic <br> Energy | $\begin{aligned} & \mathrm{KE}^{\mathrm{G} 1}=\mathrm{KE}{ }^{\mathrm{G} 2} \text { when } T^{\mathrm{G} 1}=- \\ & \mathrm{T}^{\mathrm{G} 2} \end{aligned}$ |
| Molecular Speed | $\sqrt{ } u^{2}=\sqrt{ } 3 R T \div M$ where $M$ is the molar mass |
|  | $\begin{aligned} & \sqrt{ } u^{2} G 1 \div \sqrt{ } u^{2} G 2=\sqrt{ } M^{G 2} \div \\ & \sqrt{ } M^{G 1} \end{aligned}$ |
| Rate | $\begin{aligned} & d / d x^{G 1} \div d / d x x^{G 2}=\sqrt{ } M^{G 2} \\ & \div \sqrt{ } M^{G 1} \end{aligned}$ |
| Time | $t^{G 2} \div t^{G 1}=\sqrt{ } M^{G 2} \div \sqrt{ } M^{G 1}$ |

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