| Trigonometric Identities |  |
| :--- | :--- |
| $\sin ^{2+\cos 2=1}$ | $\sec (x)=$ |
|  | $1 / \cos (x)$ |
| $\cot (x)=1 / \tan (x)$ OR | $\tan (x)=$ |
| $\cos (x) / \sin (x)$ | $\sin (x) / \cos (x)$ |
| $\csc (x)=1 / \sin (x)$ | $\sec ^{2}=\tan ^{2} 2+1$ |

## Graphing Steps

## 1. Domain

2. Intercepts
3. Asymptotes
4. Intervals of Increase and Decrease
5. Local Minimums and Maximums
6. Concavity and Inflection Points

## Graphing Tips

| VA: lim (x->+_infinity) $f(x)=+$ infinity (left and right) | HA: $\lim \left(x->+\_i n f-\right.$ inity) $f(x)=c$ at $y=c$ |
| :---: | :---: |
| VA: Find by setting the denominator $=0$ and solving for x | HA: $y=0$ if $n<d$, $a x / b x$ if $n=d$, none if $n>d$ |
| First Derivative: <br> Intervals of increase or decrease + min/max | Second Derivative: Concavity + Inflection Points |

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Last updated 13th April, 2023.
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| Derivative Tests |  |
| :--- | :--- |
| 1st: Positive to | 2nd: $f^{\prime}(c)=0 \& f^{\prime \prime}(c)>0$ : |
| Negative: local | local min \& concave up |
| max |  |
| 1st: Negative to | 2nd: $f^{\prime}(c)=0 \& f^{\prime \prime}(c)<0:$ |
| Positive: local | local max \& concave |
| min | down |
| Critical points | Inflection points when <br> when $f^{\prime}(x)=0$ |
| $f^{\prime \prime}(x)=0$ |  |


| Intermediate Value Theorem |  |
| :--- | :--- |
| $\mathrm{a}<\mathrm{c}<\mathrm{b}$ | Used to <br> find when <br> $f(x)$ has <br> roots |
|  | To find $c$, <br> set $y=0$ and <br> When proving roots, show <br> that one part is positive and <br> the other is negative |
| To show at most, show that there is 1 <br> critical value and $f(x)$ can only cross $x$ <br> amount of times |  |
| Explain that you are using IVT |  |


| Areas \& Distances |  |
| :--- | :--- |
| Derivative: rate of <br> change | Antiderivative: total <br> change |
| n or change $\mathrm{t}=\mathrm{b}-\mathrm{a} / \mathrm{n}$ | RHS: $\mathrm{E}(\mathrm{n} \mathrm{i}=1) \mathrm{f}(\mathrm{ti})$ <br> change t |
| LHS: $\mathrm{E}(\mathrm{n}-1 \mathrm{i}=0) \mathrm{f}(\mathrm{ti})$ <br> change t | $\mathrm{ti}=\mathrm{a}+\mathrm{i}$ change t |

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## U Subsitution

Step 1: Make a "u-subsititution" (let u=)
Step 2: Find du/dx
Step 3: Solve for dx
Step 4: Substitute dx and cancel out terms
Step 5: Integrate with respect to $u$
*If a definite integral, change the bounds from $x$ bounds to $u$ bounds
*Add C if a indefinite integral

| Mean Value Theorem |
| :--- |
| Is continuous and differentiable $\quad f(a)=f(b)$ |
| $f^{\prime}(c)=f(b)-f(a) / b-a$ |
| How large can this be? |
| By MVT $f^{\prime}(c)=\ldots$ for some $c$ in $[0, x]$. Then |
| do the math. Hence for every $x$ in interval |
| $f(x)$ is whatever the math proves. |


| Antiderivatives |  |
| :--- | :--- |
| Function | Antiderivative |
| $x^{\wedge} n$ | $x^{\wedge} n+1 / n+1$ |
| $\cos (x)$ | $\sin (x)$ |
| $\sin (x)$ | $-\cos (x)$ |
| $\sec 2(x)$ | $\tan (x)$ |
| $\sec (x) \tan (x)$ | $\sec (x)$ |

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| Derivatives |  |
| :--- | :--- |
| Fucntion | Derivative |
| $\sin (x)$ | $\cos (x)$ |
| $\cos (x)$ | $-\sin (x)$ |
| $\tan (x)$ | $\sec ^{\wedge} 2(x)$ |
| $\csc (x)$ | $-\csc (x)$ |
| $\sec (x)$ | $\sec (x) \tan (x)$ |
| $\cot (x)$ | $-\csc \wedge^{\wedge} 2(x)$ |

## Optimization Problems

| Usually using two | If maximizing |
| :--- | :--- |
| different formulas |  |
| (like volume and | volume, solve for <br> one variable and <br> perimeter) |
| pext, solve for that it |  |
| derivative and set $=$ After solving for that <br> variable, plug into <br> original (volume) <br> equation |  |

For distance: $\sqrt{ }(x-a)^{2+(y-b)} 2$ \& solve for critical point
May need to prove that something is a global min/max

Properties of the Definite Integral
Constant:
Addition:
Pulling a Constant:
Subtraction
Splitting

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Last updated 13th April, 2023.
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