## Cheatography

| Permutations, no repetition |
| :--- |
| $\qquad$If $n$ and $r$ are integers with $0 \leq r \leq n$, then $P(n, r)=\frac{n!}{(n-r)!}$ |
| permutation formula, ORDER MATTERS (i.e. ways to sort 5 of 10 <br> students in a line) |
| Permutations, repetition |
| The number of $r$-permutations of a set of $n$ objects with repetition allowed is $n^{r}$. |
| very easy, just use product rule as shown |


| Combinations, no repetition |
| :---: |
| The number of $r$-combinations of a set with $n$ elements, where $n$ is a nonnegative integer and $r$ is an integer with $0 \leq r \leq n$, equals $C(n, r)=\frac{n!}{r!(n-r)!} .$ |
| combination formula, ORDER does NOT matter (i.e committee of 3 out of 5 students) |
| Combinations, repetition |
| There are $C(n+r-1, r)=C(n+r-1, n-1) r$-combinations from a set with $n$ elements <br> when repetition of elements is allowed. |
| Bars and stars! Order does not matter, ways to select bills/fruit and place in a container |

C/P Quick table

| TABLE 1 Combinations and Permutations With <br> and Without Repetition. |  |  |
| :--- | :--- | :--- |
| Type | Repetition Allowed? | Formula |
| $r$-permutations | No | $\frac{n!}{(n-r)!}$ |
| $r$-combinations | No | $\frac{n!}{r!(n-r)!}$ |
| $r$-permutations | Yes | $n^{r}$ |
| $r$-combinations | Yes | $\frac{(n+r-1)!}{r!(n-1)!}$ |

## quick reference

## Binomial Theorem

$$
\begin{aligned}
& (x+y)^{n}=\sum_{i=1}^{n}\binom{n}{j} x^{n-1} y^{\prime} y^{\prime}=\binom{n}{0} x^{n}+\binom{n}{1} x^{n-1} y+\cdots+\binom{n}{n-1} x y^{n-1}+\binom{n}{n} n^{n} .
\end{aligned}
$$

binomial theorem... coefficient is a Combination.

| Pascal's identity |
| :---: |
| PASCAL'S IDENTITY Let $n$ and $k$ be positive integers with $n \geq k$. Then |
| binomial coefficients, a recursive definition |
| Finite probability |
| If $S$ is a finite nonempty sample space of equally likely outcomes, and $E$ is an event, that is, a subset of $S$, then the probability of $E$ is $p(E)=\frac{\|E\|}{\|S\|}$ |
| event over sample space. event is a subset of sample space |
| Compliment of probability event |
| Let $E$ be an event in a sample space $S$. The probability of the event $\bar{E}=S-E$, the comple- $p(\bar{E})=1-p(E) .$ |
| technique to calculate some probabilities |



| Conditional Probability |
| :---: |
| Let $E$ and $F$ be events with $p(F)>0$. The conditional probability of $E$ given $F$, denoted by $p(E \mid F)$, is defined as $p(E \mid f)=\frac{p(E \cap f)}{p(F)} .$ |
| probability of E given F E\|F |
| Definition of independent event |
|  |
| use for proofs |



## Bernoulli trials probability of success

```
Myyyy
    cm..s)
```


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## Baye's theorem


$P(F \mid E)=\frac{p(E|F| p(f)}{p(E|F| P(F)+P(E \mid \bar{F}) P(\bar{F})}$
calculate probability of i.e diseases/diagnosis, probability of spam..

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