| Algorithms |  |
| :--- | :--- |
| Definition | unambiguous <br> procedure executed <br> in a finite number of <br> steps |
| What <br> makes a <br> good <br> algorithm? | Correctness, Speed, <br> Space, Simplicity |
| Speed: | time it takes to solve <br> problem |
| Space: | amount of memory <br> required |
| Simplicity: | easy to understand, <br> easy to implement, <br> easy to debug, <br> modify, update |


| Running Time |  |  |
| :--- | :--- | :--- |
| Definition | measurement of the <br> speed of an <br> algorithm |  |
| Dependent <br> variables: |  <br> content of input |  |
| Best Case: | time on <br> the <br> easiest <br> input of <br> fixed <br> size |  |
| Averags |  |  |
| Case: | time on <br> average <br> input | good <br> measure, <br> hard to <br> calculate |


| Running Time (cont) |  |  |
| :--- | :--- | :--- |
| Worst | time on | good for safety |
| Case: | most <br> difficult <br> input | critical systems, easy <br> to estimate |


| QuickSort |  |
| :--- | :--- |
| Divide: | choose an element <br> of the array for <br> pivot |
|  | divide into 3 sub- <br> groups; those <br> smaller, those <br> larger and those <br> equal to pivot |
| Conquer | recursively sort <br> each group |


| QuickSort (cont) |
| :--- |
| exchange A [stop] \$ |
| A [left] |
| return left |
| Time Complexities: |
| - Worse case: |
| - Already sorted array (either |
| increasing or decreasing) |
| - T(n) = T(n-1) + c $n+d$ |
| - $\mathrm{T}(\mathrm{n})$ is O(n2) |
| - Average case: If the array is in |
| random order, the |
| pivot splits the array in roughly |
| equal parts, so the |
| average running time is O(n log |
| $\mathrm{n})$ |
| - Advantage over mergeSort: |
| - constant hidden in O(n log $n$ ) |
| are smaller for quickSort. |
| Thus it is faster by a constant |
| factor |
| - QuickSort is easy to do "in- |
| place" |


| In Place Sorting |  |
| :--- | :--- |
| Definition:Uses only a <br> constant amount <br> of memory in <br> addition of that <br> used to store the <br> input |  |
| ImportanceGreat for large <br> data sets that <br> take up large <br> amounts of <br> memory |  |
| Examples:Selection Sort, <br> Insertion Sort <br> (Only moving <br> elements around <br> the array) |  |
| MergeSort: | Not in place: new <br> array required |

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Page 1 of 3 .

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| Object Orientated Programming |  |
| :---: | :---: |
| Definition: | User defined types to complement primitive types |
|  | Called a class |
| Contains: | Data \& methods |
| Static members: | members shared by all objects of the class |
| Recursion Programming |  |
| Definition | using methods that call themselves |
| Structure: |  |
| base <br> case | a simple occurrence that can be answered directly |
| recursive case | A more complex occurrence of the problem that cannot be directly answered, but can instead be described in terms of smaller occurrences of the same problem. |
| Divide \& Conquer |  |
| Divide | the problem into sub problems that are similar to the original but smaller in size |
| Conquer | the sub-problems by solving them recursively. If they are small enough, solve them in a straightforward manner |



Limitations of Arrays
Size has to be known in advance
memory required may be larger than number of elements
inserting or deleting an element
takes up to $\mathrm{O}(\mathrm{n})$


Any first come first serve service

| Operations | enqueue() - add |
| :--- | :--- |
|  | to rear |

dequeue() -
removes object at front
front() - returns
object at front
size() - returns number of objects
O(n)
isEmpty() -
returns true if
empty
Double Ended Queues(deque):
Allows for insertions and removals from front and back - By adding reference to previous node - removals occur in $\mathrm{O}(1)$

## ATD: Stacks <br> Def: Operations allowed at only one end of the list (top) <br> LIFO: (Last in first out)

Operat push() - inserts
ions: element at top
pop() - removes object at top


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Page 2 of 3.

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## Cheatography

## BinarySearch (cont)

return not_found // value would be inserted at index "low"

$$
\text { \} }
$$

## Invariants:

value > A[i] for all i < low value < A[i] for all
i > high
Worst case performance: O(log n)

Best case performance: O(1)
Average case performance:
O( $\log n$ )

## BinarySearch (Recursive)

int bsearch(int[] A, int
i, int j, int x) \{
if (i<j) \{
int $e=[(i+j) / 2]$;
if (A[e] > x) \{
return bsearch(A,i,e-1); \} else if (A[e] < x) \{
return
bsearch (A, e+1,j);
\} else \{
return e;
\}
\} else \{ return -1; \} \}

Time Complexity: $\log (b a s e 2)(n)$

## Insertion Sort (Iterative)

For i $\leftarrow 1$ to length (A) 1
$j \leftarrow i$
while j > 0 and A[j-1]
> A[j]
swap $A[j]$ and $A[j-1]$
$j \leftarrow j-1$
end while
end for
Time complexity: $\mathrm{O}\left(\mathrm{n}^{2}\right)$
$+C^{\prime}$

| Primitive Operations |
| :--- |
| assignment |
| calling method |
| returning from method |
| arithmetic |
| comparisons of primitive types |
| conditional |
| indexing into array |
| following object reference |
| Assume each primitive operation holds the |
| same value $=1$ primitive operation |


conquer
if $p<r$
then $q \leftarrow\lfloor(p+r) / 2\rfloor$
MergeSort (A, p,
q)
MergeSort (A, q+1,
Merge (A, p, q, r)
Time Complexity: $2 \mathrm{~T}(\mathrm{n} / 2)+\mathrm{k} \cdot \mathrm{n}$

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