

Skel leiðbeiningar	
Skel Command	Hvað það gerir:
touch	create
tar	compression
grep	search for pattern
pattern files	in files
rm -r	remove directory
tail	output last 10 lines of file
xf - cf	extract - create
grep -r	search recursively in dir
rm	delete file
man	Manual, get help
info	documentation, replaces man erfiðara að nota
pwd	show current working directory
cd	change current directory
ls	show lists of files or information
cp	copy file
mv	move file or rename it
mkdir	make directory
rmdir	delete directory
wc	print byte, word and line counts
sort	Sort text files
cat	Send a file to the screen in one go
cat *.txt > outfile	add all .txt files together
less	Display output one screen at a time

Skel leiðbeiningar (cont)	
head	Output the first part of file
uniq	checking for uniqueness, leita eftir eiginleikum t.d. nafn
chmod	change access permissions
cut	Divide a file into several parts
more	show a file one screen at a time
./	run a file

Bitwise operator	
AND &	1001 AND 0101 = 0001
OR	1001 OR 0101 = 1101
NOT ~	NOT 1001 = 0110
XOR ^	1001 XOR 1011 = 0010

Precision F10	
Single precision 32 bits	1 s - exp 8bits - frac 23bits
Double precision 64 bits	1 s - exp 11bits -frac 52bits

Floating point		
Case 1	Case 2	Case 3
Normalized values	De-normalized values	Special values
Exponent field is <i>neither</i> all-zero nor all-one	Exponent field is all-zero	sértilfelli deilt með 0 og óendal-eikinn
E = e - bias	E = 1 - bias	Exponent = all ones

Floating point (cont)		
e is an integer	101 = 5/2^3	Mantissa = non-zero
coded on is between 0 - 1 in binary (exp field)		
M = 1 + f	M = f	infinity = expo <i>all-ones</i> all-zero Mantissa

Data types		
C data types	Assembly equivalent	Assembly suffix
char	byte	b
short	word	w
int	double word	l
char *	double word	l
float	single precision	s
double	double precision	l
long	Extended	t
double	precision	

GCC compiler	
gcc -O1 -S -m32 -O	source file <i>sum.c</i> , output file <i>sum.s</i> , level 1 optimizations, 32 bit assembly code
sum.s	
sum.c	

Hw3 problem 1	
Dæmi a :	$((a \wedge b) \& b) \mid ((a \wedge b) \& b)$
	$(x \& b) \mid (x \& b) = x \wedge b \parallel x = a \wedge b$
	$(a \wedge b) \wedge b = a \wedge b \wedge b = a$
Dæmi b :	$1 + (a \ll 3) + \sim a$
	$\sim a + 1 + (a \ll 3)$
	$\sim a + (a \ll 3)$
	$\sim a + 8 * a = 7a$
Dæmi c :	$(a \mid (b \wedge (\text{MIN_INT} + \text{MAX_INT})))$
	$(a \mid (b \wedge -1)) = (a \mid \sim b) = a \& b$
Dæmi d :	$(a \ll 4) + (a \ll 2) + (a \ll 1)$
Size in bytes	$a^{16} + 4 * a + 2 * a = 22a$
Dæmi e :	$a \wedge (\text{MIN} + \text{MAX}) \parallel (\text{MIN} + \text{MAX}) = -1$
	$1 \ a \wedge -1 = \sim a$
Dæmi f :	$((a \mid (a + 1)) \gg W) \& 1$
	$1 \text{XXX} \mid 0 \text{XXX} = 1 \text{XXX} \parallel 0000 \mid 0000 = 0000$
	$1 \text{XXX} \gg W == 1111 \parallel 0000 \gg W == 0000$
	$\sim(1 \gg W) \& 1 \parallel 0 \& 1 = 0 \parallel 1 \& 1 = 1 \parallel (a == 0)$
Dæmi g :	$((a < 0) ? (a + 3) : a) \gg 2$
gerdur til ad rugla thvi hann tekur ekki minus tolum	
Dæmi h :	$\sim((a \gg W) \ll 1)$
	$\sim(\text{sign} \ll 1)$
	$\sim 1111 \ll 1 \parallel \text{negative}$
	$0001 = 1$
	$\sim 0000 \ll 1 \parallel \text{positive}$
	$1111 = -1$
Dæmi i :	$a \gg 2$
	gerdur til ad rugla thvi hann tekur ekki minus tolum



Problem 2

Number	Decimal	Binary
Zero	0	00000
n/a	-4	11100
n/a	11	01011
n/a	-14	10010
n/a	14	01110
n/a	-11	10101
TMax	15	01111
TMin	-16	10000
TMin +	0	00000
TMin		
TMin + 1	-15	01111
TMax + 1	-16	10000
-TMax	-15	10001
-TMin	-16	10000
Mínus	~10000	01111 +
tölur	+ 1	1

Problem 3

Desci- ption	Hex	m	E
-0	8000	M = 0/256	1 - bias = -62
smallest value > 1		256/256 + 1/256 = 257/256	E = e - bias = 0
Largest Denorm alized	255*2^ (-70)	255/256	E = 1 - bias(63) = -62
Hex 3AA0		m = 1+frac- tion/2^8	E = e - bias = 58 -63 = -5

Problem 6

```
foo:
pushl %ebp
movl %esp,%ebp
movl 8(%ebp),%ecx \ ecx = *a
```

Problem 6 (cont)

```
movl 16(%ebp),%edx \ edx = val
movl 12(%ebp),%eax \ eax = n
decl %eax \ eax = n-1
js .L3 \ if(n-1 < 0) goto .L3
.L7:
cmpl %edx,(%ecx,%eax,4) \
temp = a[i] - val
jne .L3 \ if (a[i] != val) goto .L3
decl %eax \ eax = i-1
jns .L7 \ if(i >= 0) goto .L7
.L3:
movl %ebp,%esp
popl %ebp
ret
int foo(int *a, int n, int val) {
int i;
for (i = _n-1; !(a[i] == val) &&
(i >= 0); i = i - 1) {
;
}
return i;
}
```

cache

CI

Hér telur líningar þar sem 0 sýna þá þarfti þessa bita til að getað valið einhverri þeirra

Index	Tag	Valid	Byte 0	Byte 1	Byte 2	Byte 3	Tag	Valid	Byte 0	Byte 1	Byte 2	Byte 3
0	09	1	86	30	5F	10	00	0				
1	45	1	60	4F	ED	23	38	1	AF	2	2	2
2	EB	0	2F	81	FD	09	0B	0				
3	06	0	3D	94	9B	F7	32	1	1	1	1	1
4	C7	1	06	78	07	C8	05	1	4A	4	4	4
5	71	1	0B	D8	18	4B	6E	0				
6	91	1	A0	B7	26	2D	F0	0				
7	46	0	B1	DA	32	0E	DE	1	1	1	1	1

int mat1[M][N]

int mat2[N][M]

mat1[i][j] = mat2[j][i]

mat2 = 36j = 36 = M

mat1 = 144 = N

CO Hér eru fjögur byte þá þarfti 2 bita til að getað valið einhverri af þeim. AF því að 2 i söðuvéði er fjórir

HW4 problem 3

copy_element:

```
pushl %ebp
movl %esp,%ebp
pushl %ebx
movl 8(%ebp),%ecx // %ecx = i
movl 12(%ebp),%ebx // %ebx = j
movl %ecx,%edx // %edx = i
leal (%ebx,%ebx,8),%eax //
%eax = 8j + j = 9j
sall $4,%edx // %edx = 16i
sall $2,%eax // %eax = 36j
subl %ecx,%edx // %edx = 16i - i
= 15i
movl mat2(%eax,%ecx,4),%eax
// %eax = mat2 + 36j + 4i
sall $2,%edx // %edx = 60i
movl %eax,mat1(%edx,%ebx,4)
// mat1 + 60i + 4j = %eax
movl -4(%ebp),%ebx //
movl %ebp,%esp //
popl %ebp
ret
```

