| Calculating Portfolio Risk |
| :--- |
| $\sigma^{2}=\mathrm{Wa}^{2} \sigma a^{2}+\mathrm{Wb}^{2} \sigma b^{2}+2(\mathrm{WaWb}$ <br> Cor $\sigma a \sigma b)$ <br> $\sigma x=$ standard <br> deviation <br> $\mathrm{W} x=$ weight of $\quad \sigma^{2}=$ variance of portfolio <br> stock in portfolio $\quad$ correlation * $a^{*} \sigma b$ |
| $\sigma=$ risk of an individual stock |
| B = Market risk |
| If you need to find out the standard deviation, <br> take the square root of the answer. Variance, <br> leave it squared. |

## Book Rate of Return

| Book Rate of | Book income/book |
| :--- | :--- |
| Return $=$ | assets |

Payback \& Discounted Payback Period
Payback = \# of years to payback investment (no NPV adjustment)

Discounted = \# of years to payback investment
NPV adjustment)

```
NPV \(=\mathrm{C} 0+\)
\(\left(\mathrm{C}_{1} /(1+\mathrm{r} 1)\right)+\left(\mathrm{C}_{2} /(1+\mathrm{r} 2)\right) \ldots \ldots . . . . . .\).
(Ct/(1+rt))
```


## Non-constant growth valuation stock

G1 $=20 \%$ for 2 years; G2=5\% for rest of time D0=1.25
D1 $=1.25(1.20)=1.50$
D2 $=1.25(1.20)^{2}=1.80$
D3 $=1.25(1.20)^{2}(1.05)=1.89$
D4 $=1.25(1.20)^{2}(1.05)^{2}=1.98$

## Internal rate of return | IRR

NPV must $=0$ to calculate
$\mathrm{NPV}=\mathrm{C} 0+\mathrm{C}_{1} /(1+\mathrm{IRR})^{1}+\mathrm{C} 2 /(1+\mathrm{IRR})^{2}=0$

## Must use Excel to calculate

Pitfall 1 = Lending or borrowing?
Pitfall 2 = Multiple rates of return (when cash goes from + to -)

## Internal rate of return | IRR (cont)

Pitfall 3 = Mutually exclusive projects- IRR sometimes ignores magnitude of a project

Pitfall 4 - What Happens When There is More than One Opportunity Cost of Capital

Term Structure Assumption
We assume that discount rates are stable during the term of the project.
This assumption implies that all funds are reinvested at the IRR.
This is a false assumption.

## Efficient Frontier



## Covariance of multiple stocks

With 100 securities, the box is 100 by 100 . The variance terms are the diagonal terms, and thus there are 100 variance terms. The rest are the covariance terms. Because the box has(100× 100) terms altogether, the number of covariance terms is:Number of covariance terms $=1002-100=9,900$ Half of these terms (i.e., 4,950 ) are different.
bWith 50 stocks, all with the same standard deviation (.30), the same weight in the portfolio (.02), and all pairs having the same correlation coefficient (.40), the portfolio variance is $: \sigma 2=50(.02) 2(.30) 2+[(50) 2-50](.02) 2(.40)$ $(.30) 2=.03708 \sigma=.193$, or $19.3 \%$ c.For a fully diversified portfolio, portfolio variance equals the average covariance: $\sigma 2=$ $(.30)(.30)(.40)=.036 \sigma=.190$, or $19.0 \%$

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Present Value of a Growing Perpetuity
$P V=C F 1 / r-g r>g$

Bond Valuation
$P V=C 1 /(1+r)^{1}+C 2 /(1+r)^{2} \ldots+(P a r+C n) /(1+r)^{n}$
Duration $=[1 \times P V(c 1)] / P V+[2 x P V(c 2)] /$
PV...+(TxPV(CT)]/PV
Modified Duration = volatitliy
(\%)=duration/( $1+$ yield)

## DPS Calculation

$D 0=1.50$
$D 1=1.50(1.07)$
$D 2=1.50(1.07)^{2}$
$D 3=1.50(1.07)^{3}$
$D 4=1.50(1.07)^{3}(1.05)$
$D 5=1.50(1.07)^{3}(1.05)^{2}$

| Sharpe Ratio $=(r-r f) /(\sigma)$ |  |
| :--- | :---: |
| Risk premium | $r-r f$ |
| Standard Deviation | $\sigma$ |

Ratio of risk premium to standard deviation.
Measures risk-adjusted performance of investment managers
SML
The Y -intercept of the SML is equal to the risk-
free interest rate. The slope of the SML is equal
to the market risk premium and reflects the risk
return trade off at a given time.
where:
$\mathrm{E}(\mathrm{Ri})$ is an expected return on security
$\mathrm{E}(\mathrm{RM})$ is an expected return on market
portfolio M
$\beta$ is a nondiversifiable or systematic risk
RM is a market rate of return
Rf is a risk-free rate

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## Efficient Frontier

The efficient frontier is the set of optimal portfolios that offers the highest expected return for a defined level of risk or the lowest risk for a given level of expected return. Portfolios that lie below the efficient frontier are sub-optimal, because they do not provide enough return for the level of risk.

| Stock Returns |  |
| :--- | :--- |
| $R=(P t+1-P t+D) /(P t)$ |  |
| $R=$ | Return |
| $P t=$ | Stock Price @ time |
| $D=$ | Dividend |


| CAPM = Capital Asset Pricing Model |  |
| :---: | :---: |
| $r i=r f+\beta(r m-r f)$ | $B=B e t a$ |
| $r \mathrm{f}=$ risk free rate | $\mathrm{rm}=$ market rate |
| $\mathrm{i}=$ investment | $E(r)=$ expected return |
| Expected risk premium on stock= | beta x expected risk premium on market |
| $r-r f=\beta(r m-r f)$ |  |
| Beta is the extent to which a stock moves with the market. CAPM says that the higher the Beta, the higher the risk |  |

## Market Efficiency

1.) Weak $=$ Market reflects past info
2.) Semi-Strong = Past \& Current public info is reflected
3.) All information is reflected in the stock price (public \& private)

Efficient Market - Market in which information is reflected in stock prices quickly + correctly

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## Profftability Index

$\mathrm{PI}=\mathrm{NPV} / \mathrm{Investment}$
Another Example - continued
Proj NPV Investment PI
A 230,000 200,000 1.15
B 141,250 125,000 1.13
C 194,250 175,000 1.11
D 162,000 150,000 1.08

Select projects with highest Weighted Avg PI WAPI $(B D)=1.13(125)+1.08(150)+0.0(25)$
(300) (300) (300)
$=1.01$

## Captal Rationing

Capital Rationing - Limit set on the amount of funds available for investment.
Soft Rationing - Limits on available funds imposed by management.
Hard Rationing - Limits on available funds imposed by the unavailability of funds in the capital market.

## Market Risk premium

$=r m-r f$
For any investment, we can find the opportunity cost of capital using the security market line. With $=0.8$, the opportunity cost of capital is:
$r=r f+B(r m-r f)$
$r=0.04+[0.8 B(0.12-0.04)]=0.104=$
10.4\%

The opportunity cost of capital is $10.4 \%$ and the investment is expected to earn $9.8 \%$. Therefore, the investment has a negative NPV.

If return is $11.2 \%$ What is Beta?
$r=r f+(r m-r f)$
$0.112=0.04+(0.12-0.04)=0.9$

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