

### Vocabulary

<b>projectile</b>	object moving through the air, either initially thrown or dropped, subject only to the effects of gravity
<b>trajectory</b>	the path of a projectile, which is parabolic in two dimensions
<b>projectile motion</b>	movement of an object through the air, subject only to the effects of gravity
<b>range</b>	the maximum horizontal distance a projectile travels
<b>launch angle</b>	The angle of a projectile's initial velocity when measured from the horizontal direction. These angles are typically 90° or less

### Kinematic Equations

- $V = \frac{\Delta \text{position}}{\Delta \text{time}}$
- $V_f = V_i + at$
- $V_f^2 = V_i^2 + 2aD$
- $D = V_i t + \frac{1}{2}at^2$
- $D = V_f t - \frac{1}{2}at^2$
- $D = \frac{1}{2}(V_f + V_i)t$

### Common Mistakes and Misconceptions

### How to Solve (Launched at an Angle)

- 1.) **Draw a diagram of the scenario**
    - Make sure to label everything or Brian will be mad
  - 2.) **List our known and unknown variables**
    - Make a T-chart with an x and y column where you fill out the variables
  - 3.) **Break the motion into horizontal and vertical components parallel to the x and y-axes**
    - Motion in each dimension is independent of each other
  - 4.) **Solve for the unknowns in two separate motions - one horizontal and one vertical.**
    - Use the kinematic equations to solve. Usually, try to find time first because that will make everything easier. Time is the common variable between the x motion and y motion
- When solving for the initial velocities, you have to use trig, so x would be the initial velocity times cosθ and y would be the initial velocity times sinθ**

### Tips (Horizontal Projectiles)

- Um just make sure to always find time first because that makes everything a lot easier. Usually, if you want to find time, the equation is  $D=V_i t + (-1/2)at^2$
- Also, you usually know the initial and final velocities for the x-axis, so write that in the T chart. They should both be the same, so that means acceleration is 0. If there are any other variables that are given, write them in the T chart. As for the y-axis, acceleration should be  $-9.8 \text{ m/s}^2$ . Again, time is the same for both x and y (unless it's some weird problem)
- The final velocity for y, when it reaches the vertex, is 0  $\text{m/s}^2$

### How to solve (Horizontal Projectiles)

1.) **Remember: What happens in the vertical direction does NOT affect the horizontal direction, and vice versa.**

- An object's horizontal position, velocity, or acceleration does not affect its vertical position, velocity, or acceleration. These variables are only related by  $t$  time.

2.) **It's easy to forget that horizontal motion has constant velocity (and zero acceleration) while vertical motion has constant acceleration**

- This means for projectile motion, the initial velocity in the x-direction will be the same as the final velocity in the x-direction, while the starting and end velocities in the y-direction will be different because of acceleration due to gravity.

3.) **Make sure to define the coordinate axes and pay attention to the sign of the acceleration constant  $g$ .**

1.) **List our known and unknown variables**

- make a t-chart with an x and y column where you fill out the variables

2.) **Break the motion into horizontal and vertical components parallel to the x and y-axes**

- Motion in each dimension is independent of each other

3.) **Solve for the unknowns in two separate motions - one horizontal and one vertical.**

- Use the kinematic equations to solve. Usually try to find time first because that will make everything easier. Time is the common variable between the x motion and y motion



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Page 1 of 2.

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