

Vocabulary

Modus Ponens **If P, then Q. P. Therefore, Q.** If the cake is made with sugar, then the cake is sweet. The cake is made with sugar. Therefore, the cake is sweet.

Modus Tollens **If P, then Q. Not Q. Therefore, not P.** If the cake is made with sugar, then the cake is sweet. The cake is not sweet. Therefore, the cake is not made with sugar.

Onto Function For every element Y in the codomain Y of F there is at least one element X in the domain X of X. Horizontal Line Test.

One-To-One Function A function for which every element of the range of the function corresponds to exactly one element of the domain.

Bijection Each element of one set is paired with exactly one element of the other set, and each element of the other set is paired with exactly one element of the first set.

Vocabulary (cont)

Domain The set of all possible input x-values which will make the function "work", and output y-values.

Codomain The set of all possible output values of a function.

Range The set of **actual** output values of a function.

Preimage Another word for **Domain**

Image Another word for **Codomain**

Fibonacci Sequence $F(n) = F(n-1) + F(n-2)$

Universal Quantifier \forall Expresses that the statements within its scope are true for everything, or every instance of a specific thing.

Existential Quantifier \exists Expresses that the statements within its scope are true for at least one instance of something.

Scope Denoted by symbols such as parenthesis and brackets to identify the section of the wff to which the quantifier applies. $(\forall x)[P(x) \rightarrow Q(x)]$ - the scope of $\forall x$ is found within the brackets.

Vocabulary (cont)

Universal Instantiation Lets you remove \forall from a predicate.

Existential Instantiation Lets you remove \exists from a predicate. - Must be used before Universal Instantiation

Method/Subroutine A subroutine (such as a function) returns a value. A method is a subroutine or function that you can call on an object in an OO language.

Principle of Well-Ordering Every collection of positive integers that contains any members at all has a smallest number

1st Principle of Mathematical Induction Two assertions: 1. You can reach the first rung 2. Once you get to a rung, you can always climb to the next one up. (Implication). 1. $P(1)$ 2. For any positive integer k , $P(k) \rightarrow P(k+1)$

2nd Principle of Mathematical Induction Show that it's true for $P(1)$, assume it's true for some value "k", use that assumption to show that it's true for $K+1$

Binomial Theorem Expands binomials. $(a+b)^2 = a^2 + 2ab + b^2$

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Vocabulary (cont)

Pascal's Triangle a triangular array of numbers in which those at the ends of the rows are 1 and each of the others is the sum of the nearest two numbers in the row above (the apex, 1, being at the top).

1st Order Recurrence Relation No need to find the two that precede it. Does it fit the pattern? $S(n) = cS(n-1) + g(n)$
Step 1. Find C. Find g(n).
Step 3. Plug n Chug.

2nd Order Recurrence Relation Requires the values from the previous two solutions. Fibonacci sequence is an example of 2nd Order RR.

Closed-Form Solution a mathematical expression that can be evaluated in a finite number of operations. No recurrence.

Binary Predicate Tests the truth value of a predicate which takes two arguments.

Domain of Interpretation Explains what is objects the predicate has meaning over. If $P(x)$ x lives in the water, domain could be sea turtles.

Vocabulary (cont)

Big-O Explains where the "bulk" of the work is happening in a function. Drops coefficients.

Computational Complexity The amount of resources required for running an algorithm

Permutation An ordered arrangement of objects. Multiply the factorial of the $P(n,r)$ values to find the values. $n!/n-r!$

Factorial A value multiplied by the value before it subsequently to 1. $5! = 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1$

Combination An unordered arrangement of objects $C(n,r)$. $n!/(r!(n-r)!)$

Proofs Using Predicate Logic

Identify the Scope of a Variable in a Predicate

Identify the Scope of a Variable in a Program

Identify the Correct Negation of a Predicate

Big-O Value for the Complexity of an Algorithm

Do a Proof Using Mathematical Induction

Determine Whether a Relation is a Function or Not

Identify the Domain and Codomain of a Function

Classify a Function as Onto, 1-to-1, or Bijection

Convert English Statements to Predicate Statements

Expand a Binomial Using Binomial Theorem

Write the First Few Rows of Pascal's Triangle

Derive Closed Form Solution for 1st & 2nd Order RR

Behavior of Java AND/OR Operators &&, &, ||