Cheatography

Grade 12 Mathematics Cheat Sheet by Aafiya via cheatography.com/171724/cs/36053/

Relations

DEFINITION

A relation R, from a non-empty set A to another non-empty set B is mathematically as an subset of A × B. Equivalently, any subset of A × B is a relation from A to B. Thus, R is a relation from A to B \hat{U} R Í A × B \hat{U} R Í {(a, b) : a Î A, b Î B}

DOMAIN OF A RELATION

Let R be a relation from A to B. The domain of relation R is the set of all those elements a \hat{I} A such that (a, b) \hat{I} R " b \hat{I} B. Thus, Dom.(R) = {a \hat{I} A : (a, b) \hat{I} R " b \hat{I} B}. That is, the domain of R is the set of first components of all the ordered pairs which belong to R.

RANGE OF A RELATION

Let R be a relation from A to B. The range of relation R is the set of all those elements b \hat{I} B such that (a, b) \hat{I} R " a \hat{I} A. Thus, Range of R = {b \hat{I} B : (a, b) \hat{I} R " a \hat{I} A}. That is, the range of R is the set of second components of all the ordered pairs which belong to R.

CO-DOMAIN OF A RELATION

Let R be a relation from A to B. Then B is called the co-domain of the relation R. So we can observe that co-domain of a relation R from A into B is the set B as a whole.

REFLEXIVE RELATION

A relation R defined on a set A is said to be reflexive if a R a " a \hat{I} A i.e., (a, a) \hat{I} R " a \hat{I} A

SYMMETRIC RELATION

A relation R defined on a set A is symmetric if (a, b) $\hat{I} R \vdash (b, a) \hat{I} R " a, b \hat{I}$ A i.e., aRb \vdash bRa (i.e., whenever aRb then bRa).

TRANSITIVE RELATION

A relation R on a set A is transitive if (a, b) \hat{I} R and (b, c) \hat{I} R \triangleright (a, c) \hat{I} R i.e., aRb and bRc \triangleright aRc.

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Relations (cont)

EQUIVALENCE RELATION

Let A be a non-empty set, then a relation R on A is said to be an equivalence relation if (i) R is reflexive i.e., (a, a) $\hat{I} R$ " a $\hat{I} A$ i.e., aRa. (ii) For Let R is symmetric i.e., (a, b) $\hat{I} R \triangleright$ (b, a) $\hat{I} R$ " a, b $\hat{I} A$ i.e., aRb \triangleright bRa. (iii)R is transitive i.e., (a, b) \hat{I} R and (b, c) $\hat{I} R \triangleright$ (a, c) $\hat{I} R$ " a, b, c $\hat{I} A$ i.e., aRb and bRc \triangleright aRc

Functions

One-one function (Injective function or Injection)

A function f : A ® B is one-one function or injective function if distinct elements of A have distinct images in B. Thus, f : A ® B is one-one $\hat{U} f(a) = f(b) \Rightarrow a = b$, "a, b $\hat{I} A \hat{U} a \neq b \Rightarrow f(a) \neq f(b)$ " a, b $\hat{I} A$.

Onto function (Surjective function or Surjection)

A function f : A ® B is onto function or a surjective function if every element of B is the f - image of some element of A. That implies f(A) = B or range of f is the co-domain of f. Thus, f : A ® B is onto \hat{U} f(A) = B i.e., range of f = co-domain of f.

One-one onto function (Bijective function or Bijection)

A function f : A ® B is said to be one-one onto or bijective if it is both one-one and onto i.e., if the distinct elements of A have distinct images in B and each element of B is the image of some element of A.

Matrices

PROPERTIES OF TRANSPOSE OF MATRICES :

(i)(A + B)T = AT + BT
(ii)(AT)T = A
(iii)(kA)T = kAT, where k is any constant
(iv) (AB)T = BT AT (v) (ABC)T = CT BT AT

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